



A round-trip journey in pruned artificial neural networks

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Outline



Introduction

Efficient deployment: Neural Network Pruning

Efficient training: Backward Pass Pruning

Conclusions



Deep models scale and training cost

State-of-the-art performance on complex tasks.

Very high number of parameters (hundreds of millions and even more...).

Training requires substantial computing power.





Deploying models

Inferences are performed remotely.



Inferences are performed locally.



Advantages of Edge Al





Connectivity



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Solution for efficient deployment

Neural Network Pruning





Neural Network Pruning Intuition

Removes less influential elements while preserving the generalization capabilities.

Reduces the resources required to use the model.

Studied since the late '80s has seen a resurgence in 2015.





Categorization of Pruning Procedures

One-shot vs. Iterative



One-Shot

Performs a single pruning step. Fine-tuning to recover performance. Faster procedure.



Performs multiple pruning step. Successive training and pruning steps. Prunes more parameters.



Categorization of Pruning Procedures

Unstructured vs. Structured



Unstructured

Removes many parameters from the network. Highly reduces the compressed model size.



Structured

Removes entire neurons in the network.

Reduces the number of operations.



Categorization of Pruning Procedures





Unstructured

No guarantee in removing neurons. We still consider the entire matrix to define the output

Structured

Removes entire rows from the matrix. The rank of the final matrix is lower.



Learning Both Weights and Connections

A Template for Modern Techniques



Han et al., Learning both weights and connections for efficient neural network (2015).

Kick-started modern pruning research.

Unstructured, iterative.

Acts as the foundation for the proposed procedures.





Standard Feed Forward Neural Network.





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Tartaglione et al., Learning sparse neural networks via sensitivity-driven regularization (2018).



Our pruning techniques

10

20

50

60

ilters

LOBSTER

Contribution of the parameters to the loss of the network.

$$S(\mathcal{L}, w_{n,i,j}) = \left| \frac{\partial \mathcal{L}}{\partial w_{n,i,j}} \right|$$

Unstructured.

"Loss-based sensitivity regularization: towards deep sparse neural networks." *Neural Networks* (2022).



SeReNe

Contribution of the neuron to the output of the network.

$$S_{n,i}(\mathbf{y}_{N}, p_{n,i}) = \frac{1}{C} \sum_{k=1}^{C} \left| \frac{\partial y_{N,k}}{\partial p_{n,i}} \right|$$



"SeReNe: Sensitivity-based regularization of neurons for structured sparsity in neural networks." *IEEE Transactions on Neural Networks and Learning Systems* (2021).



Pruning potential



Experimental Setup



Evaluate the benefits of structured pruning approaches within the MPEG-7 Part 17 neural network compression pipeline.

"On the role of structured pruning for neural network compression." 2021 IEEE International Conference on Image Processing (2021).



Experimental Setup



MPEG-7 Part 17 standard



Experimental Setup



models on mobile devices



Experimental Setup



SeReNe vs LOBSTER



Experimental Setup



Removal of pruned neurons: Simplify





Evaluation Results

Dataset	Architecture	Pruning	Pruning	Simplified Compressed		Inference time [ms]			
			ratio [%]	topology [MB]	bitstream [MB]	$RPi \ 3B$	P20	MI9	S6L
CIFAR-10 ·	VGG-16	No pruning	-	60.0	3.6	647	204	153	251
		LOBSTER	92.44	58.61	1.61	610	191	146	242
		SeReNe	47.16	31.02	0.34	594	99	85	106
	ResNet-32	No pruning	-	2.0	0.30	580	32	30	31
		LOBSTER	81.19	1.96	0.12	545	32	26	30
		SeReNe	52.80	1.0	0.09	536	25	17	25
CIFAR-100	AlexNet	No pruning	-	94.6	10.1	246	131	84	168
		LOBSTER	98.90	48.84	0.40	224	95	67	120
		SeReNe	59.87	37.07	0.20	186	75	53	96
ImageNet	ResNet-101	No pruning	-	178.4	26.24	11919	958	416	1008
		LOBSTER	87.39	173.87	9.24	11879	956	403	985
		SeReNe	1.09	172.53	7.51	11699	929	371	974

Even removing less parameters, SeReNe produces smaller and faster models.



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We have seen how pruning can reduce the resources required by a deployed model, but what about the training process?

It is true that a model will perform thousands of inferences but the training is still very expensive.





Backpropagation is the more computational-heavy part of the training.

We can reduce the training cost by slimming the backpropagation.

How?







Equilibrium evaluation



We evaluate a neuron's state and disable the update for neurons that reached equilibrium.

We consider the neuron's output in 2 adjacent epochs and evaluate the similarity.

$$\phi_{n,i}^{t} = \sum_{v}^{V} \sum_{m=1}^{M_{i}} y_{n,i,m,v}^{t} \cdot y_{n,i,m,v}^{t-1}$$



Equilibrium evaluation



To asses the convergence to equilibrium, we evaluate the variation of similarities.

$$\Delta \phi_{n,i}^t = \phi_{n,i}^t - \phi_{n,i}^{t-1}$$

We say that we reach equilibrium when

$$\Delta \phi_{n,i}^t \rightarrow 0$$



To update or not to update? Neuron at equilibrium





NEq Some Neurons may Unfreeze



In the first phase of the train (high learning rate and stochastic noise) the amount of the trained neurons is higher.

Adam	drives	the	neurons	towards	equilibrium	faster.	
At the first learning rate decay, for SGD, the number of updated neurons decreases and then increase, as SGD							
looks for larg	e minima, prev	enting equilik	prium in high learr	ning rate regimes.		55	



NEq Experiments

We evaluate our approach on different combinations of architecture and dataset:

- ResNet-32 on CIFAR-10
- ResNet-18 on ImageNet
- Swin-B on Imagenet
- DeepLabV3 on COCO

All the learning policies used are borrowed from other works and are un-optimized to test the adaptability of NEq. The pruning performance is evaluated according to multiple metrics:

- Average FLOPs per iteration at backpropagation.
- Final performance of the model evaluated on the test set (classification accuracy or IoU).



NEq Experiments

Dataset	Model	Approach	Bprop. FLOPs per iteration	Performance
CIFAR-10	ResNet-32	Baseline	$138.94{\rm M}\pm0.0{\rm M}$	$92.85\%\pm 0.23\%^{\dagger}$
		Stochastic $(p = 0.2)$	$112.99\mathrm{M}\pm0.00\mathrm{M}$ (-18.68%)	$92.78\%\pm0.19\%$ (-0.07%) †
		Stochastic $(p = 0.5)$	$69.75\mathrm{M}\pm0.00\mathrm{M}$ (-49.8%)	$91.88\%\pm0.27\%\;(\text{-}0.97\%)^\dagger$
		$Stochastic^*$	$86.34\mathrm{M}\pm0.00\mathrm{M}~(-37.85\%)$	$-92.23\% \pm 0.25\%$ $(-0.62\%)^{\dagger}$
		Neq	$84.81\mathrm{M}\pm0.63\mathrm{M}\;(\text{-}38.96\%)$	$92.96\% \pm 0.21\% \; (+0.11\%)^{\dagger}$
	ResNet-18	Baseline	$3.64\mathrm{G}\pm0.0\mathrm{G}$	$69.90\%\pm 0.04\%^{\dagger}$
		Stochastic $(p = 0.2)$	$2.94\mathrm{G}\pm0.00\mathrm{G}(\text{-}19.26\%)$	$69.42\%\pm0.16\%$ (-0.48%) †
		Stochastic $(p = 0.5)$	$1.85\mathrm{G}\pm0.00\mathrm{G}(-49.11\%)$	$69.18\%\pm0.03\%(\text{-}0.72\%)^\dagger$
		$\operatorname{Stochastic}^*$	$2.82\mathrm{G}\pm0.00\mathrm{G}\left(-22.58\% ight)$	$69.45\%\pm0.06\%\;(\text{-}0.45\%)^\dagger$
ImageNet-1K		Neq	$2.80\mathrm{G}\pm0.03\mathrm{G}\left(-23.08\%\right)$	$69.62\%\pm0.06\%\;(-0.28\%)^\dagger$
imager (ct-ii)	Swin-B	Baseline	$30.28\mathrm{G}\pm0.00\mathrm{G}$	$84.71\%\pm 0.04\%$ †
		Stochastic $(p = 0.2)$	$24.65\mathrm{G}\pm0.00\mathrm{G}(\text{-}18.6\%)$	$84.54\%\pm0.04\%$ (-0.83%) [†]
		Stochastic $(p = 0.5)$	$16.15\mathrm{G}\pm0.00\mathrm{G}~(-46.67\%)$	$84.40\% \pm 0.02\% \; (-0.31\%)^{\dagger}$
		$Stochastic^*$	$11.02\mathrm{G} \pm 0.00\mathrm{G} \ (-63.67\%)$	$84.27\%\pm0.04\%(\text{-}0.44\%)^\dagger$
		Neq	$10.78\mathrm{G}\pm0.02\mathrm{G}~(-64.39\%)$	$84.35\% \pm 0.02\%$ (-0.36%) [†]
	DeepLabv3	Baseline	$305.06{ m G}\pm0.0{ m G}$	$67.71\%\pm 0.02\%^{\ddagger}$
		Stochastic $(p = 0.2)$	$248.69\mathrm{G} \pm 0.00\mathrm{G} \ (-18.48\%)$	$67.11\% \pm 0.02\% \ (-0.60\%)^{\ddagger}$
COCO		Stochastic $(p = 0.5)$	163.42G \pm 0.00G (-46.43%)	$66.91\%\pm0.04\%\;(\text{-}0.80\%)^{\ddagger}$
		$\operatorname{Stochastic}^*$	$229.00\mathrm{G}\pm0.00\mathrm{G}\left(-24.93\%\right)$	$67.02\%\pm0.03\%(\text{-}0.69\%)^{\ddagger}$
		Neq	$217.29\mathrm{G}\pm0.04\mathrm{G}~(\text{-}28.77\%)$	$67.22\%\pm0.04\%~(-0.49\%)^{\ddagger}$ }



NEq Faster Backpropagation



Backpropagation execution time for vanilla and NEq ResNet-18.

We observe a reduction in the wall-clock time of around -17.52%.

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- We shared our recent experiences in **frugal deep learning**
 - **one way**: simplify the model via pruning for faster/lower memory footprint when deploying nets
 - **return**: prune the backward pass to reduce the training cost
- Future research
 - joint approaches including quantization and target device constraints
 - dataset pruning
 - efficient automatic hyper-parameter tuning